

NMR and NBO study of vinblastine as a biological inhibitor

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Vinblastine is a potent biological inhibitor that has been clinically applied against a variety of neoplasms. In this work, the molecular structure of vinblastine was optimized using HF and B₃LYP level of theory with 6-31 G(d) as a basis set. Theoretical computations were performed to study thermodynamic parameters, NMR chemical shift data and NBO analysis. Accordingly, some electronic properties such as E_{HOMO}, E_{LUMO}, E_{bg} (energy gap between LUMO and HOMO), atomic charges, were calculated. Moreover, thermodynamic parameters such as relative energy (ΔE), standard enthalpy (ΔH), entropy (ΔS), Gibbs free energy (ΔG) and constant volume molar heat capacity (C_v) values of vinblastine were evaluated. In NMR investigation, magnetic shielding tensor (σ , ppm), shielding asymmetry (η), magnetic shielding anisotropy (σ_{aniso}) and skew of a tensor (K) at various rotation angles around a characteristic rotation were estimated. Also, the calculated chemical shifts were compared with experimental data in CDCl₃ and DMSO. The calculated data showed in some cases acceptable agreement with experimental ones.

Keywords: vinblastine, NBO, *ab initio*, biological, inhibitor.

INTRODUCTION

Alkaloids are known as biologically active molecules that originate from natural sources [1-3] as found in the late 1950s [4-7]. Since that time, more than eighty alkaloids extracted from *C. roses* have been identified. Alkaloids have shown various biological properties such as anticancer, antimicrobial, anti-hypertensive and some other biomedical activities [8]. Two alkaloids of vinblastine (VLB) and vincristine (VCR) have been obtained from the famous Madagascar periwinkle plant, formally known as *Vinca-rosea* [2, 3]. These two compounds are very similar in structure. Molecular structure of vinblastine is presented in scheme 1.

Vinblastine is a biological inhibitor that has been clinically applied against a variety of neoplasms. Vinblastine acts an anti-metabolic agent. It affects the metaphase stage of meiosis. Vincristine is also an anti-metabolic agent, but it can affect the metaphase stage of mitosis. Some differences are found between these two stages of meiosis and mitosis. But both in meiosis and mitosis, in metaphase stage, chromosomes are placed in the middle of the cell nucleus so that microtubules are attached to them very hardly and are ready to divide the chromosomes. When we use

vinblastine or its analogue (vincristine), the cancer cells will not grow because these two matters bind to the microtubule and make them loose so the cell division is stopped at the metaphase stage [9-12].

Microtubules are highly dynamic polymers of heterodimers of α and β tubulin, arranged parallel to a cylindrical axis to form tubes of 25 nm diameter that may be many μm long. Polymerization of microtubules is initiated by a nucleation-elongation mechanism in which the formation of a short microtubule 'nucleus' is followed by elongation of the microtubule *via* a reversible non-covalent addition of tubulin dimers [12]. Microtubules are not simple polymers. They exhibit complex polymerization dynamics that apply energy released *via* hydrolysis of GTP. These complicated dynamics are suggested to be important for their cellular functions. Various chemical materials are bound to tubulin or microtubules that inhibit cell proliferation by acting on microtubules. Many of these bound compounds have been known as drugs that are highly applicable against various forms of cancer or are currently in clinical trials. An important class of these drugs inhibiting the microtubule polymerization at high drug concentrations is found to be the *Vinca* alkaloids [12-16]. The *Vinca* alkaloids can bind to both tubulin and microtubules, and therefore their biological activities are highly

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dependent on the drug concentration [16]. At relatively high concentrations of these alkaloids, the microtubule depolymerization is stopped, spindle microtubules are dissolved and therefore cells arrest at mitosis [18-20]. In contrast, at low concentrations, the *vinca* alkaloids decrease microtubule dynamics without depolymerizing spindle microtubules, but remain able to arrest mitosis and induce apoptosis [12]. All of these compounds can affect mitotic progression and cause apoptosis in cancer cells [21-23].

In continuation of previously experimental studies, in this work, the molecular structure of vinblastine was optimized using HF and B₃LYP level of theory with 6-31 G(d) as a basis set. Theoretical computations were performed to study thermodynamic parameters, NMR chemical shift data and NBO analysis.

THEORETICAL BACKGROUND

The chemical shift refers to the phenomenon associated with the secondary magnetic field created by the induced motions of the electrons surrounding the nucleus when it is subjected to an applied external magnetic field. The energy of a magnetic momentum, μ , in a magnetic field, B, is as follow:

$$E = -\mu \cdot (1 - \sigma) B$$

where σ refers to the differential resonance shift due to the induced motion of the electrons. The chemical shielding is defined by a real three-by-three Cartesian matrix, which can be divided into a single scalar term, three anti symmetric pseudo vector components, and five components corresponding to a symmetric tensor [23]. Only the single scalar and the five symmetric tensor elements can be seen in the normal NMR spectra of the solids. For brevity, these six resonance shifts are usually referred to as the shielding tensor:

$$\begin{bmatrix} \sigma_{xx} & \sigma_{xy} & \sigma_{xz} \\ \sigma_{yx} & \sigma_{yy} & \sigma_{yz} \\ \sigma_{zx} & \sigma_{zy} & \sigma_{zz} \end{bmatrix}$$

that can be obtained by averaging the off-diagonal values of the complete tensor [24]. The chemical shielding tensor is generally referred to as the chemical shift anisotropy tensor (CSA) according to the possession of second rank properties. The measurement or calculation of the diagonal components ($\sigma_{xx}, \sigma_{yy}, \sigma_{zz}$) or ($\sigma_{11}, \sigma_{22}, \sigma_{33}$) in the principal

axis system (PAS) allows the complete description of the CSA tensor. The CSA tensor can also be illustrated by three additional parameters, as reported previously [25]. In various areas of chemical physics, a careful prediction of molecular response properties to external fields is necessary. Since the NMR data have gained substantial importance in chemistry and biochemistry, they are studied with two parameters isotropic (σ_{iso}) and anisotropic (σ_{aniso}) shielding as shown in the following relationships. If $|\sigma_{11} - \sigma_{iso}| \geq |\sigma_{33} - \sigma_{iso}|$, σ , chemical shift anisotropy, η , asymmetry parameter and δ are obtained as shown below [26]:

$$\Delta\sigma = \sigma_{11} - \frac{\sigma_{22} + \sigma_{33}}{2}$$

$$\eta = \frac{\sigma_{22} - \sigma_{33}}{\delta}$$

$$\delta = \sigma_{11} - \sigma_{iso}$$

If $|\sigma_{11} - \sigma_{iso}| \leq |\sigma_{33} - \sigma_{iso}|$:

$$\Delta\sigma = \sigma_{33} - \frac{\sigma_{22} + \sigma_{11}}{2}$$

$$\eta = \frac{\sigma_{22} - \sigma_{11}}{\delta}$$

$$\delta = \sigma_{33} - \sigma_{iso}$$

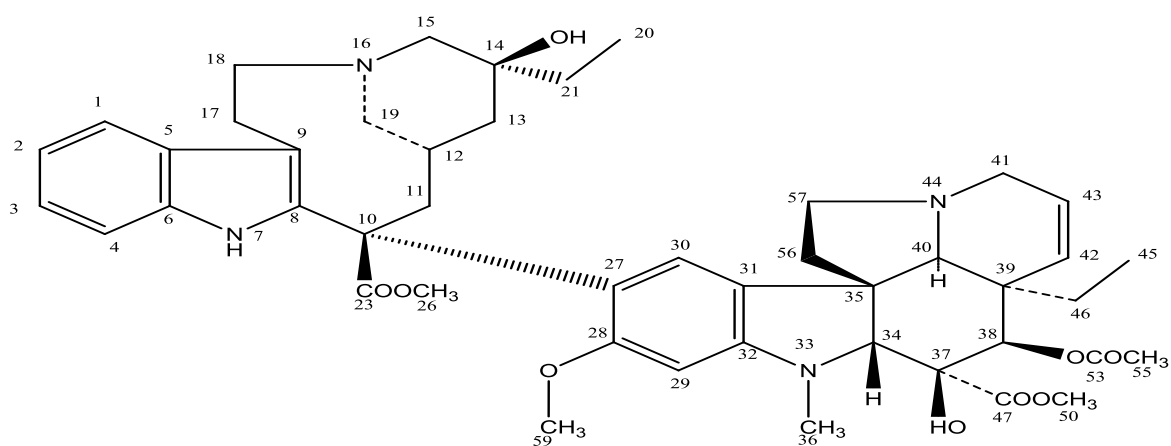
For both cases, skew (K) is shown as:

$$K = \frac{3 * (\sigma_{iso} - \sigma_{22})}{\sigma_{33} - \sigma_{11}}$$

It is to be noted that the skew is a measure of the asymmetry of the probability distribution of a real-valued random variable about its mean.

Computational Methods

Molecular structure of vinblastine was optimized using HF and B₃LYP levels of theory with 6-31G(d) as a basis set. Computations were carried out to study thermodynamic parameters, NMR chemical shift data and NBO analysis [27]. All calculations were carried out using the Gaussian 09 program package. Gaussian 09 is a computational chemistry software package applicable to present interaction of electrons in atoms and molecules. It uses numerical methods to find solutions to wave functions. Molecular orbital energies, bond energies, molecular geometries and energies, and vibrational frequencies, along with many other properties are evaluable by this package. The term *ab initio* is given to calculations that are



Scheme 1. Molecular structure of vinblastine

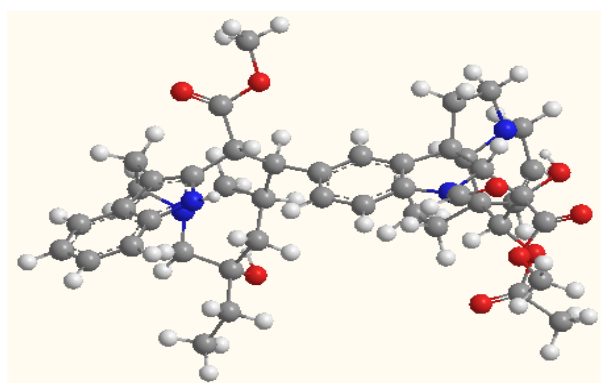


Fig. 1. Optimized geometric structure of vinblastine.

obtained exactly from theoretical principles without adding any experimental data [28]. The optimized geometric structure of vinblastine is shown in Fig. 1.

RESULTS AND DISCUSSION

In this work we have theoretically studied the magnetic properties of atomic nuclei to determine physical and chemical properties of atoms in the title compound. *Ab initio* calculation of nuclear magnetic shielding has become an aid for the analysis of molecular structure. So, NMR is based on the quantum mechanical properties of the nuclei. Based on NMR study, calculated magnetic shielding tensor (σ , ppm), shielding asymmetry (η), magnetic shielding anisotropy (σ_{aniso} , ppm), the skew of a tensor (K), chemical shift anisotropy ($\Delta\sigma$) and chemical shift (δ) were calculated. These results are listed in Tables 1 and 2. The graphs of these

calculated parameters *versus* the number of atoms of vinblastine were sketched as shown in Figs. 2a-2e, respectively.

As seen in Figures 2a-2e, at HF level, O₅₈ has a maximum value of σ_{iso} (280.8046); O₂₄ has a maximum value of σ_{aniso} (763.7363); O₂₄ has a maximum value of $\Delta\sigma$ (763.7363), C₅₅ has a maximum value of K (0.825985) and C₄₅ has a maximum value of η (0.994694) and at B3LYP level O₂₂ has a maximum value of σ_{iso} (246.9817); O₂₄ has a maximum value of σ_{aniso} (664.3599); O₂₄ has a maximum value of $\Delta\sigma$ (664.3599), C₁₅ has a maximum value of K (0.820206), finally C₈ has a maximum value of η (0.987734).

The calculated chemical shifts by HF and B3LYP methods as compared with experimental data in CDCl₃ and DMSO [29] are collected in Table 3. As shown in Table 3, in some cases the chemical shifts calculated by HF are close to the experimental data while in some other cases, the results computed by B3LYP are comparable with experimental data.

Moreover, some electronic properties such as energy of the highest occupied molecular orbital (E_{HOMO}), energy of the lowest unoccupied molecular orbital (E_{LUMO}), energy gap (E_{bg} ; the gap between LUMO and HOMO energies) and atomic charges, were evaluated. The results are tabulated in Tables 4 and 5. The values of E_{HOMO} , E_{LUMO} and E_{bg} were evaluated as -0.25936, 0.12368 and 0.38304 eV, respectively. The maximum Mulliken negative charge was calculated for 58H and the maximum positive charge was computed for 47c.

Table 1. Magnetic shielding tensor (σ , ppm), magnetic shielding anisotropy (σ_{aniso} , ppm) and chemical shift anisotropy ($\Delta\sigma$) calculated by HF and B3LYP models with 6-31G(d) basis set for C, N, O in vinblastine.

Atomic label	HF/ 6-31G(d)			B3LYP/ 6-31G(d)		
	σ_{Iso}	σ_{Aniso}	$\Delta\sigma$	σ_{Iso}	σ_{Aniso}	$\Delta\sigma$
1c	82.2239	177.1057	177.10575	81.4572	155.5608	155.56085
2c	86.3922	170.8911	170.89115	81.9852	152.4802	152.48025
3c	80.8488	178.6912	178.69115	79.8344	155.5389	155.5389
4c	93.7094	154.9596	154.95955	90.7186	136.607	136.607
5c	73.1957	163.5265	163.52645	68.1407	145.5024	145.50245
6c	63.9003	166.0338	166.0338	63.4268	140.3232	140.3232
7N	138.4154	51.8364	-75.6211	116.3844	48.4883	-71.75595
8c	68.5629	122.45	-137.2326	65.238	102.7925	-103.4267
9c	85.6121	132.781	132.781	79.1179	116.9933	116.9933
10c	154.2052	22.6749	22.6749	139.5491	20.9796	-21.8936
11c	154.7359	24.7421	24.74215	133.3454	22.3519	22.35185
12c	168.6329	24.6203	24.6203	150.2322	25.4396	25.43955
13c	171.3767	32.7447	32.74465	155.2889	34.6152	34.61515
14c	137.8163	42.1837	42.18375	116.7567	42.1362	42.13625
15c	149.6165	31.286	31.28605	132.3138	34.7518	34.75185
16N	244.2934	47.564	47.56405	209.9096	51.2007	51.20065
17c	181.5312	22.2527	-35.2348	167.0131	25.5394	-37.2209
18c	160.483	43.4438	43.44375	143.2538	45.0838	45.08385
19c	163.4631	33.0308	33.0308	146.3866	36.0842	36.08405
20c	199.4931	15.4888	15.48885	187.3711	15.9159	15.91585
21c	171.8519	37.7055	37.70545	155.214	39.0024	39.0023
22O	273.5037	159.3895	159.3895	246.9817	161.2745	161.27455
23c	12.5103	127.1395	-186.23915	16.5554	89.0413	-142.3802
24O	-167.7572	763.7363	763.7363	-133.997	664.3599	664.3599
25O	175.3948	211.9189	-330.0435	127.8043	193.0803	-316.96325
26c	157.9504	62.3724	62.37245	144.5365	65.5015	65.5016
27c	68.0566	170.9488	170.9488	63.2549	151.6022	151.60225
28c	44.9724	134.9123	134.91235	39.9634	106.072	106.07205
29c	98.8318	146.4449	146.44485	96.431	131.7501	131.75015
30c	74.2976	157.3851	157.3851	73.3478	132.0677	132.0677
31c	73.3031	144.0565	144.05655	67.7907	125.3065	125.30645
32c	49.4952	144.72	144.72	46.1149	116.6732	116.6733
33N	205.2028	82.9149	82.9148	169.211	80.0504	80.0504
34c	132.4978	31.215	31.215	111.4526	30.3105	30.3105
35c	154.2238	30.2564	30.25645	133.5051	29.9711	29.199
36c	165.3309	59.1434	59.14335	151.3953	63.4749	63.47485
37c	121.0346	21.8353	21.8353	102.1689	23.6388	23.63885
38c	137.0632	37.5001	-46.3665	117.5051	35.957	-316.96325
39c	165.9838	13.5246	13.52465	144.9849	14.1888	14.1888
40c	147.0094	32.4146	32.41455	127.0656	35.9774	35.97745
41c	160.8988	37.662	37.66205	143.0828	40.9629	40.9629
42c	76.1156	159.1929	-181.62215	70.2006	143.8221	-149.7878
43c	76.9451	153.362	-176.30675	73.8942	137.5253	-145.59015
44N	218.0582	38.0472	-67.1081	185.1565	36.8617	-63.62375
45c	198.666	13.8161	-13.8528	186.5266	14.7872	14.78715
46c	180.0201	22.1054	-22.3894	162.9237	23.1603	-24.57635
47c	11.6178	134.2036	-176.01545	16.6645	95.1436	-134.0453
48O	-129.3067	711.0296	711.0296	-109.4652	628.0083	628.0083
49O	173.3682	207.8216	-339.364787	126.1173	186.0971	-322.11535
50c	158.3326	61.399	61.399	144.8955	64.434	64.434
51O	272.5608	57.1822	-63.4529	238.7188	47.4807	-51.59265
52O	161.4416	183.5647	-305.59205	115.4793	163.0053	-295.2175
53c	17.3794	125.56	-192.1905	22.4825	87.237	-150.53115
54O	-148.8274	711.1191	711.11915	-119.6978	616.7324	616.73245
55c	180.815	49.865	49.86505	171.534	47.9299	47.92985
56c	163.9835	50.9283	50.9284	147.9227	52.59	52.59
57c	161.0108	54.8761	54.8761	143.6472	58.7531	58.75315
58O	280.8046	86.7669	-128.33215	236.4346	87.2229	-132.0352
59c	154.7926	67.179	67.1789	140.8168	72.0584	72.05835

Table 2. Skew of a tensor (K) and shielding asymmetry (η) calculated by HF and B3LYP levels of theory with 6-31G(d) as a basis set for C, N, O in vinblastine.

Atomic label	NMR chemical shielding tensors data								
	HF/ 6-31G(d)		B3LYP/ 6-31G(d)		Atomic label	HF/ 6-31G(d)		B3LYP/ 6-31G(d)	
	K	η	K	η		K	η	K	η
1c	0.177746	0.776260	0.219067	0.727788					
2c	0.112513	0.855405	0.145127	0.815425	31c	0.276995	0.661891	0.371120	0.559648
3c	0.147455	0.812604	0.170245	0.785195	32c	0.125273	0.839664	0.251150	0.691001
4c	0.175871	0.778491	0.221297	0.725207	33N	0.528391	0.400984	0.492250	0.436180
5c	0.622574	0.312561	0.689458	0.252510	34c	0.148045	0.811888	0.317799	0.616855
6c	0.371780	0.558950	0.433252	0.495228	35c	0.370729	0.560056	0.387924	0.541991
7N	-0.559824	0.370951	-0.58051	0.351476	36c	0.718357	0.227231	0.799340	0.158441
8c	-0.170777	0.784560	-0.00922	0.987734	37c	0.030498	0.959757	0.159907	0.797584
9c	0.155445	0.802948	0.427788	0.500800	38c	-0.317158	0.617553	-0.54897	0.218313
10c	0.149083	0.810632	-0.06395	0.916516	39c	0.009060	0.987966	0.06443	0.915891
11c	0.551140	0.379192	0.484246	0.444078	40c	0.419833	0.508942	0.58679	0.345603
12c	0.634505	0.301690	0.744221	0.204938	41c	0.156974	0.801111	0.12501	0.839977
13c	0.592674	0.340126	0.571183	0.360227	42c	-0.197431	0.753013	-0.06095	0.920344
14c	0.455015	0.473211	0.414851	0.514065	43c	-0.249748	0.759093	-0.08545	0.889212
15c	0.722875	0.223311	0.820206	0.141191	44N	-0.829084	0.133906	-0.79898	0.158740
16N	0.030366	0.959914	0.082559	0.892865	45c	-0.003984	0.994694	0.046761	0.938608
17c	-0.677471	0.263108	-0.55838	0.372315	46c	-0.019144	0.974628	-0.08899	0.884760
18c	0.661427	0.277410	0.620945	0.314051	47c	-0.404345	0.524907	-0.50920	0.419573
19c	0.219159	0.727685	0.055836	0.926892	48O	0.706988	0.237128	0.597656	0.335504
20c	0.202640	0.746908	0.212412	0.735526	49O	-0.720728	0.225174	-0.80292	0.155468
21c	0.661431	0.277403	0.645588	0.291652	50c	0.601598	0.331852	0.556313	0.374280
22O	0.807507	0.151672	0.699200	0.243943	51O	-0.155939	0.802349	-0.12451	0.840599
23c	-0.565766	0.365336	-0.69145	0.250754	52O	-0.748394	0.201370	-0.86559	0.104306
24O	0.597302	0.335833	0.520315	0.408785	53c	-0.629082	0.306620	-0.79860	0.159055
25O	-0.653871	0.284187	-0.72866	0.218313	54O	0.493689	0.434764	0.485922	0.442417
26c	0.660716	0.278048	0.612208	0.322068	55c	0.825985	0.136445	0.681357	0.259663
27c	0.702762	0.240822	0.807988	0.151269	56c	0.572955	0.358561	0.695674	0.247039
28c	0.054552	0.928561	0.226644	0.719034	57c	0.386805	0.543159	0.462369	0.465832
29c	0.384853	0.545204	0.470383	0.457831	58O	-0.579711	0.352224	-0.61314	0.321207
30c	0.120913	0.845027	0.135531	0.827103	59c	0.667287	0.272174	0.704061	0.239687

Thermodynamic calculations

Thermodynamic parameters levels such as relative energy (ΔE), standard enthalpies (ΔH), entropies (ΔS), Gibbs free energy (ΔG) and constant volume molar heat capacity (C_v) values of vinblastine were computed by Freq method using HF/6-31G(d) obtained. The values are tabulated in Table 6. The resultant data show that relative energy, Gibbs free energy and standard enthalpies of vinblastine are negative indicating the stable character of its structure.

Natural bond orbital (NBO) analysis:

In computational chemistry, NBO is a calculated bonding orbital that contains maximum electron density. The NBO is one of a sequence of natural localized orbital sets that include "natural atomic orbitals (NAO), natural hybrid orbitals (NHO) and natural (semi-)localized molecular orbitals (NLMO). These natural localized sets are intermediate between basis atomic orbitals (AO) and molecular orbitals (MO)[30, 31]. In quantum chemistry, the distribution of electron densities on

atoms and the bonds between them are investigated by NBO analyses. NBOs contain the highest possible percentage of the electron density, ideally close to 2.000 [31-32]. This is performed by considering all possible interactions between filled donor and empty acceptor NBOs and evaluating their energetic importance by the second-order perturbation theory. For each donor NBO (i) and acceptor NBO (j), the stabilization energy $E^{(2)}$ associated with electron delocalization between donor and acceptor is evaluated by the equation:

$$E^{(2)} = -q_i \frac{(F)_{i,j}^2}{\epsilon_j - \epsilon_i}$$

where q_i is the orbital occupancy, ϵ_i , ϵ_j are diagonal characters and $F_{i,j}$ is the off-diagonal NBO Fock matrix element [32].

In this study we investigated the nature of bonding in vinblastine molecular structure (scheme 1), by the aid of NBO analyses. It is suggested that the results from NBO calculations can provide a new vision into the electronic structure of the molecule. The obtained results of NBOs analyses such as occupancy, bond orbital, coefficients and

hybrids at the HF level of theory are compiled in Table 7.

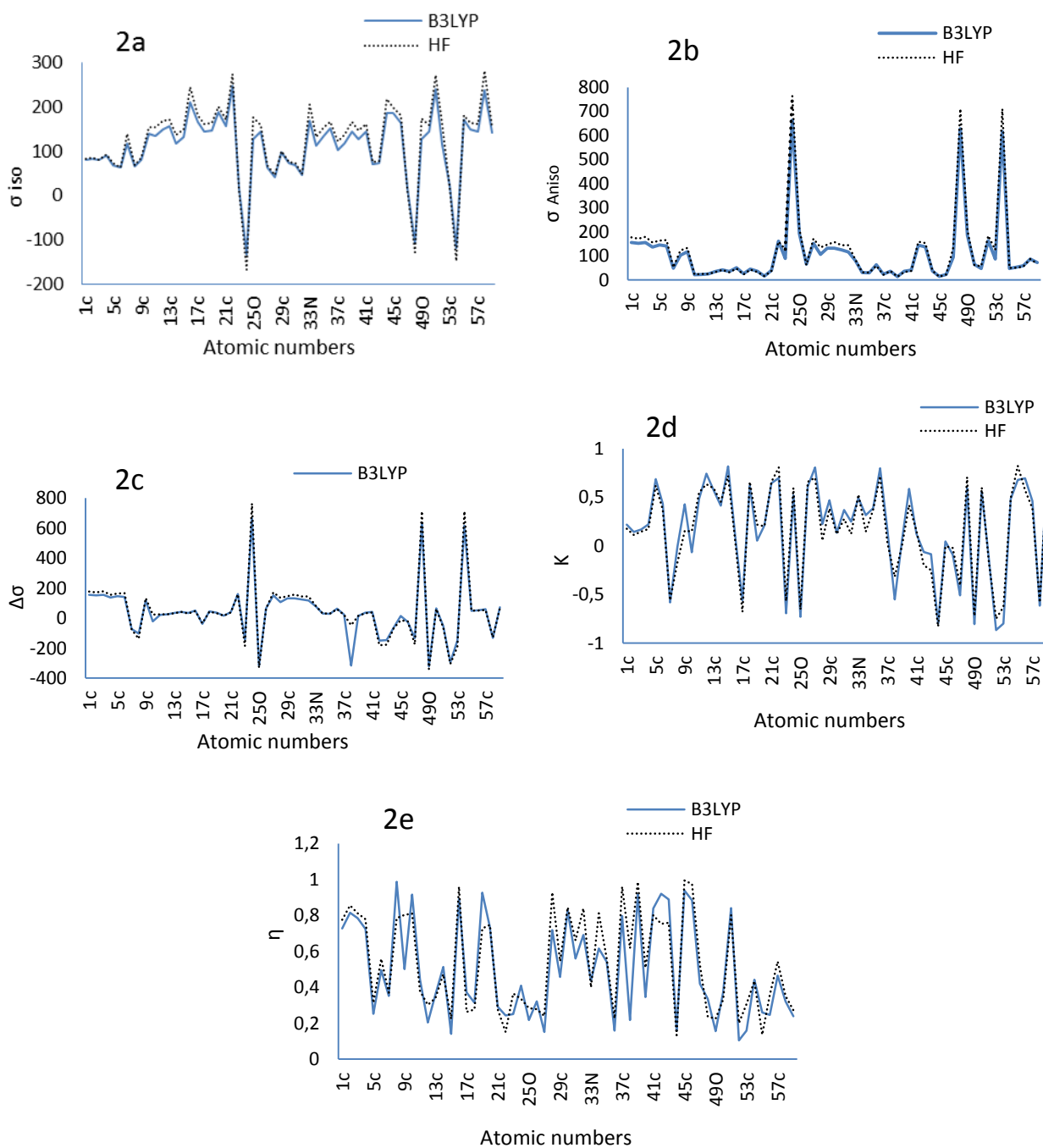


Fig. 2. Graphs of a) σ_{iso} , b) σ_{aniso} , c) $\Delta\sigma$ d) K, e) η versus atoms of vinblastine in gas phase at the B3LYP / 6-31G (d) and HF/ 6-31G (d) basis set.

Table 3. Experimental (in CDCl₃ and DMSO) and calculated chemical shifts by B3LYP and HF levels of theory with 6-31 G(d) as basis set.

NMR chemical shift data (δ)									
Atomic label	Calculation		Experimental		Atomic label	Calculation		Experimental	
	HF method	B3LYP method	CDCl ₃ solvent	DMSO solvent		HF method	B3LYP method	CDCl ₃ solvent	DMSO solvent
1c	118.0705	103.7072	118.5	117.7	29c	97.6299	87.8334	94.2	94.2
2c	113.9274	101.6535	118.8	118	30c	104.9234	88.0451	123.6	123.8
3c	119.1274	103.6926	122.2	121.1	31c	96.0377	83.5376	122.7	122.3
4c	103.3063	91.0713	110.5	111.4	32c	96.48	77.7822	152.7	152.2
5c	109.0176	97.0016	129.6	128.7	34c	20.81	20.207	83.4	82.2
6c	110.6892	93.5488	135.0	135.4	35c	20.171	19.466	53.3	52.9
8c	-91.4884	-68.9511	131.5	131.3	36c	39.4289	42.3166	38.4	38.1
9c	88.5207	77.9955	117.1	115.8	37c	14.5568	15.7592	79.7	79.4
10c	15.1166	-14.5957	55.8	55.2	38c	-30.911	-34.7096	76.5	75.9
11c	16.4948	14.9012	34.4	34.2	39c	9.0164	9.4592	42.7	42.1
12c	16.4135	16.9597	30.2	29.6	40c	21.6097	23.985	65.6	63.9
13c	21.8298	23.0768	41.6	40.7	41c	25.108	27.3086	50.3	49.5
14c	28.1225	28.0908	69.7	67.3	42c	-121.0814	-99.8585	130.1	130.3
15c	20.8574	23.1679	64.4	63.9	43c	-114.5378	-97.0601	124.5	124.0
17c	-23.4899	-24.8139	28.8	27.9	45c	-9.2352	9.8581	8.4	7.8
18c	28.9625	30.0559	55.8	56.2	46c	-14.9263	-16.3842	30.9	30.7
19c	22.0205	24.0562	48.2	46.9	47c	-117.3436	-89.3635	171.7	171.1
20c	10.3259	10.6105	6.9	7.0	50c	40.9327	42.956	52.2	51.5
21c	25.137	26.0015	34.4	34.2	53c	-128.127	-100.3541	170.9	170.0
23c	-124.1594	-94.9201	174.9	174.5	55c	33.2434	31.9533	21.2	20.9
26c	41.5816	43.6677	52.4	51.9	56c	33.9523	35.06	44.6	44.6
27c	113.9659	101.0682	121.2	121.1	57c	36.5841	39.1688	50.4	48.9
28c	89.9416	70.7147	158.1	157.6	59c	44.7859	48.0389	55.8	56.0

Table 4. Some electronic properties of vinblastine

E _{HOMO} (ev)	E _{LUMO} (ev)	E _{bg} (ev)
-0.25936	0.12368	0.38304

Table 8 collects the second-order perturbative estimations of donor-acceptor interactions. This analysis is done by considering all probable interactions between filled donor Lewis-type NBOs and empty acceptor non-Lewis NBOs, and evaluating their energetic necessity by the 2nd-order perturbation theory. Since these interactions cause a loss of occupancy from the localized NBOs of the idealized Lewis structure into the empty non-Lewis orbitals, this is known as delocalization corrections to the zero-order natural Lewis structure. The stabilization energy E^2 along with delocalization between donor NBO (i) and acceptor NBO (j) can be calculated based on the equation mentioned previously using the values shown in Table 8.

The strongest interaction in vinblastine is found for BD(1) C₅-H₉ → BD* (1) C₈-C₁₀ with $E^2= 9.40$ Kcal/mol and BD(2) C₃₁-C₃₂ → BD* (2) C₂₇-C₃₀ with $E^2= 48.42$ Kcal/mol.

Vinblastine molecule can be rotated around its bonds and NMR analyses are performed at each status. In this way, we changed the

torsion angle around the C₁₁- C₁₀- C₂₇- C₂₈ and then NMR analyses were performed for each torsion angle. Based on these analyses, magnetic shielding tensor (σ , ppm), shielding asymmetry (η), magnetic shielding anisotropy (σ_{aniso}) and skew of a tensor (K) were evaluated and the graphs of this calculated parameters *versus* the torsion angle for some atoms were sketched, as shown in Fig. 3. As can be seen, skew parameter changes *versus* torsion angles for O₂₅ and N₄₄ obey a polynomial order 4 and Dirac delta function, respectively. The changes of σ_{iso} and σ_{Aniso} *versus* torsion angles for O₄₉ and O₂₄ are obtained as Dirac delta function (positive and negative, respectively) with maximum value in torsion angle of 80°. It is to be noted that this angle is the one found at the optimum structure of vinblastine. The plot of shielding asymmetry changes (η) *versus* torsion angles for O₂₄ is found to be of polynomial order 6.

Table 5. Calculated Mullikan atomic charges for all atoms in vinblastine molecular structure.

Atomic label	Mullikan Charge	Atomic label	Mullikan Charge	Atomic label	Mullikan Charge	Atomic label	Mullikan Charge
1c	-0.13619	31c	-0.02926	61H	0.184648	91H	0.164775
2c	-0.22792	32c	0.265	62H	0.186518	92H	0.146818
3c	-0.21732	33N	-0.77152	63H	0.196788	93H	0.272845
4c	-0.14082	34c	0.073628	64H	0.43771	94H	0.159914
5c	-0.21191	35c	-0.08953	65H	0.254383	95H	0.141219
6c	0.308355	36c	-0.26553	66H	0.230143	96H	0.180493
7N	-1.00778	37c	0.222878	67H	0.163308	97H	0.188434
8c	0.282342	38c	0.127902	68H	0.21347	98H	0.179906
9c	0.154342	39c	-0.11579	69H	0.137191	99H	0.142957
10c	-0.2793	40c	0.067632	70H	0.168751	100H	0.162479
11c	-0.16864	41c	-0.11388	71H	0.165403	101H	0.163872
12c	-0.11404	42c	-0.09274	72H	0.197505	102H	0.176901
13c	-0.26947	43c	-0.17035	73H	0.164002	103H	0.177369
14c	0.211056	44N	-0.63763	74H	0.158911	104H	0.18265
15c	-0.02414	45c	-0.45698	75H	0.133441	105H	0.180525
16N	-0.7204	46c	-0.30954	76H	0.172843	106H	0.181985
17c	-0.32805	47c	0.875485	77H	0.151748	107H	0.421133
18c	-0.05787	48O	-0.58357	78H	0.148429	108H	0.202064
19c	-0.09774	49O	-0.71443	79H	0.173915	109H	0.213386
20c	-0.45233	50c	-0.1453	80H	0.154205	110H	0.195012
21c	-0.31385	51O	-0.70344	81H	0.16537	111H	0.174738
22O	-0.74841	52O	-0.75784	82H	0.141191	112H	0.178543
23c	0.785359	53c	0.800234	83H	0.395133	113H	0.138989
24O	-0.55927	54O	-0.56415	84H	0.188259	114H	0.180177
25c	-0.72328	55c	-0.50742	85H	0.180898	115H	0.186719
26c	-0.14027	56c	-0.31379	86H	0.177623	116H	0.195058
27c	-0.03382	57c	-0.07669	87H	0.234449	117H	0.167143
28c	0.392776	58H	-0.82446	88H	0.227144		
29c	-0.18419	59H	-0.16245	89H	0.231773		
30c	-0.20595	60H	0.202366	90H	0.208582		

Table 6. Calculated thermodynamic parameters of vinblastine using HF/6-31G(d) level

Zero point energy (Hartree)	ΔE (Hartree) ^a	ΔG (Hartree)	ΔH (Hartree)	S (cal/molK)	CV (cal/molK)
-2664.946395	-2664.898065	-2665.022405	-2664.89712	263.683	197.316

^a consider that 1 Hartree= 627.5095 Kcal/mol

Table 7. Results of NBOs analyses at the HF level of theory with 6-31 G(d).

<i>Bond</i> _{No.ele} ^{BD}	Coefficients hybrids	<i>Bond</i> _{No.ele} ^{BD}	Coefficients hybrids
1	2	3	4
C1 – C2 _{1.97855} ^σ	0.7096 SP ^{1.76} + 0.7046 SP ^{1.78}	C17 – H73 _{1.98192} ^σ	0.7876 SP ^{3.22} + 0.6162 S
C1 – C2 _{1.74662} ^π	0.6918 SP + 0.7220 SP	C18 – H74 _{1.98482} ^σ	0.7836 SP ^{3.09} + 0.6213 S
C1 – C5 _{1.97347} ^σ	0.6983 SP ^{1.92} + 0.7158 SP ^{1.77}	C18 – H75 _{1.98994} ^σ	0.7793 SP ^{2.94} + 0.6266 S
C1 – H60 _{1.98225} ^σ	0.7868 SP ^{2.38} + 0.6172 S	C19 – H76 _{1.98964} ^σ	0.7866 SP ^{2.96} + 0.6174 S
C2 – C3 _{1.97878} ^σ	0.7059 SP ^{1.90} + 0.7083 SP ^{1.87}	C19 – H77 _{1.98617} ^σ	0.7802 SP ^{3.01} + 0.6255 S
C2 – H61 _{1.98304} ^σ	0.7866 SP ^{2.38} + 0.6175 S	C20 – C21 _{1.99085} ^σ	0.7018 SP ^{2.71} + 0.7124 SP ^{2.77}
C3 – C4 _{1.97704} ^σ	0.7033 SP ^{1.80} + 0.7109 SP ^{1.75}	C20 – H78 _{1.99069} ^σ	0.7841 SP ^{3.13} + 0.6207 S
C3 – C4 _{1.75437} ^π	0.6965 SP + 0.7176 SP	C20 – H79 _{1.99158} ^σ	0.7885 SP ^{3.08} + 0.6150 S
C3 – H62 _{1.98290} ^σ	0.7866 SP ^{2.40} + 0.6174 S	C20 – H80 _{1.99167} ^σ	0.7834 SP ^{3.12} + 0.6215 S
C4 – C6 _{1.97541} ^σ	0.6987 SP ^{1.97} + 0.7154 SP ^{1.61}	C21 – H81 _{1.98160} ^σ	0.7879 SP ^{3.21} + 0.6159 S
C4 – H63 _{1.98257} ^σ	0.7865 SP ^{2.34} + 0.6176 S	C21 – H82 _{1.98422} ^σ	0.7826 SP ^{3.34} + 0.6225 S
C5 – C6 _{1.96490} ^σ	0.7073 SP ^{2.25} + 0.7069 SP ^{1.94}	O22 – H83 _{1.98960} ^σ	0.8608 SP ^{4.36} + 0.5089 S
C5 – C6 _{1.61719} ^π	0.7249 SP + 0.6889 SP ^{99.99}	C23 – O24 _{1.99675} ^σ	0.5800 SP ^{2.00} + 0.8146 SP ^{1.43}
C5 – C9 _{1.96426} ^σ	0.7137 SP ^{2.02} + 0.7005 SP ^{2.30}	C23 – O24 _{1.99208} ^π	0.5348 SP ^{99.99} + 0.8450 SP ^{99.99}
C6 – N7 _{1.98442} ^σ	0.6249 SP ^{2.64} + 0.7807 SP ^{1.95}	C23 – O25 _{1.98208} ^σ	0.5524 SP ^{2.74} + 0.8336 SP ^{2.37}
N7 – C8 _{1.98134} ^σ	0.7866 SP ^{2.08} + 0.6174 SP ^{2.91}	O25 – C26 _{1.99313} ^σ	0.8349 SP ^{2.43} + 0.5504 SP ^{3.91}
N7 – H64 _{1.98080} ^σ	0.8625 SP ^{2.51} + 0.5061 S	C26 – H84 _{1.99632} ^σ	0.7853 SP ^{2.71} + 0.6191 S
C8 – C9 _{1.97203} ^σ	0.7086 SP ^{1.47} + 0.7057 SP ^{1.79}	C26 – H85 _{1.99624} ^σ	0.7838 SP ^{2.72} + 0.6210 S
C8 – C9 _{1.87436} ^π	0.7023 SP ^{99.99} + 0.7119 SP ^{99.99}	C26 – H86 _{1.99223} ^σ	0.7832 SP ^{2.86} + 0.6217 S
C8 – C10 _{1.97420} ^σ	0.6982 SP ^{1.96} + 0.7159 SP ^{2.59}	C27 – C28 _{1.97149} ^σ	0.7082 SP ^{1.97} + 0.7060 SP ^{1.64}
C9 – C17 _{1.97701} ^σ	0.7151 SP ^{1.96} + 0.6990 SP ^{2.78}	C27 – C30 _{1.96919} ^σ	0.7097 SP ^{1.90} + 0.7045 SP ^{1.81}
C10 – C11 _{1.96775} ^σ	0.7196 SP ^{2.65} + 0.6944 SP ^{3.01}	C27 – C30 _{1.67501} ^π	0.7233 SP + 0.6905 SP
C10 – C23 _{1.97450} ^σ	0.7102 SP ^{3.40} + 0.7040 SP ^{1.52}	C28 – C29 _{1.97476} ^σ	0.7059 SP ^{1.61} + 0.7083 SP ^{1.91}
C10 – H65 _{1.95995} ^σ	0.8031 SP ^{3.53} + 0.5959 S	C28 – C29 _{1.69659} ^π	0.6795 SP + 0.7337 SP
C11 – C12 _{1.97338} ^σ	0.7180 SP ^{2.63} + 0.6960 SP ^{2.83}	C28 – O58 _{1.99158} ^σ	0.5644 SP ^{3.23} + 0.8255 SP ^{2.17}
C11 – C27 _{1.97129} ^σ	0.6972 SP ^{2.89} + 0.7168 SP ^{2.13}	C29 – C32 _{1.97041} ^σ	0.7038 SP ^{1.80} + 0.7104 SP ^{1.68}
C11 – H66 _{1.97329} ^σ	0.7954 SP ^{3.57} + 0.6061 S	C29 – H87 _{1.97762} ^σ	0.7917 SP ^{2.33} + 0.6109 S
C12 – C13 _{1.98056} ^σ	0.7096 SP ^{2.81} + 0.7046 SP ^{2.81}	C30 – C31 _{1.97003} ^σ	0.6992 SP ^{1.83} + 0.7150 SP ^{1.73}
C12 – C19 _{1.97916} ^σ	0.7116 SP ^{2.94} + 0.7026 SP ^{2.71}	C30 – H88 _{1.97988} ^σ	0.7900 SP ^{2.43} + 0.6131 S
C12 – H67 _{1.97554} ^σ	0.7890 SP ^{3.48} + 0.6144 S	C31 – C32 _{1.96735} ^σ	0.7087 SP ^{2.10} + 0.7055 SP ^{1.83}
C13 – C14 _{1.97846} ^σ	0.7046 SP ^{2.88} + 0.7096 SP ^{2.65}	C31 – C32 _{1.65024} ^π	0.7314 SP + 0.6819 SP ^{99.99}
C13 – H68 _{1.97955} ^σ	0.7966 SP ^{3.08} + 0.6045 S	C31 – C35 _{1.96553} ^σ	0.7078 SP ^{2.21} + 0.7064 SP ^{2.87}
C13 – H69 _{1.98370} ^σ	0.7824 SP ^{3.28} + 0.6228 S	C32 – N33 _{1.98226} ^σ	0.6335 SP ^{2.68} + 0.7737 SP ^{2.53}

Table 7 continued

1	2	3	4
C14 – C15 $\sigma_{1.97286}$	0.7123 SP ^{2.85} + 0.7019 SP ^{2.76}	N33 – C34 $\sigma_{1.98004}$	0.7837 SP ^{2.54} + 0.6211 SP ^{3.75}
C14 – C21 $\sigma_{1.98101}$	0.7091 SP ^{2.59} + 0.7051 SP ^{2.75}	N33 – C36 $\sigma_{1.98375}$	0.7899 SP ^{2.53} + 0.6132 SP ^{3.33}
C14 – O22 $\sigma_{1.99275}$	0.5602 SP ^{4.33} + 0.8284 SP ^{2.10}	C34 – C35 $\sigma_{1.97273}$	0.7044 SP ^{2.64} + 0.7098 SP ^{3.16}
C15 – N16 $\sigma_{1.98549}$	0.6245 SP ^{3.26} + 0.7810 SP ^{2.38}	C34 – C37 $\sigma_{1.96735}$	0.6963 SP ^{2.88} + 0.7178 SP ^{2.58}
C15 – H70 $\sigma_{1.98379}$	0.7843 SP ^{3.04} + 0.6204 S	C34 – H89 $\sigma_{1.98008}$	0.7999 SP ^{2.89} + 0.6001 S
C15 – H71 $\sigma_{1.98834}$	0.7856 SP ^{2.97} + 0.6187 S	C35 – C40 $\sigma_{1.96804}$	0.7141 SP ^{2.92} + 0.7001 SP ^{2.86}
N16 – C18 $\sigma_{1.98633}$	0.7847 SP ^{2.26} + 0.6199 SP ^{3.31}	C35 – C56 $\sigma_{1.96740}$	0.7227 SP ^{3.03} + 0.6912 SP ^{2.80}
N16 – C19 $\sigma_{1.98429}$	0.7787 SP ^{2.50} + 0.6274 SP ^{3.37}	C36 – H90 $\sigma_{1.99078}$	0.7912 SP ^{2.86} + 0.6115 S
C17 – C18 $\sigma_{1.97913}$	0.7068 SP ^{2.96} + 0.7074 SP ^{2.70}	C36 – H91 $\sigma_{1.99112}$	0.7834 SP ^{2.96} + 0.6215 S
C17 – H72 $\sigma_{1.98346}$	0.7918 SP ^{3.08} + 0.6107 S	C36 – H92 $\sigma_{1.99668}$	0.7796 SP ^{2.89} + 0.6263 S
C37 – C38 $\sigma_{1.97382}$	0.7110 SP ^{2.62} + 0.7032 SP ^{2.76}	C46 – H103 $\sigma_{1.98319}$	0.7894 SP ^{3.25} + 0.6139 S
C37 – C47 $\sigma_{1.97407}$	0.7076 SP ^{3.23} + 0.7066 SP ^{1.57}	C47 – O48 $\sigma_{1.99697}$	0.5780 SP ^{1.94} + 0.8160 SP ^{1.38}
C37 – O51 $\sigma_{1.98942}$	0.5845 SP ^{3.84} + 0.8114 SP ^{2.39}	C47 – O48 $\pi_{1.99263}$	0.5254 SP ^{99.99} + 0.8508 SP ^{99.99}
C38 – C39 $\sigma_{1.96986}$	0.7077 SP ^{2.50} + 0.7066 SP ^{3.14}	C47 – O49 $\sigma_{1.99218}$	0.5550 SP ^{2.67} + 0.8319 SP ^{2.36}
C38 – O52 $\sigma_{1.98883}$	0.5475 SP ^{4.49} + 0.8368 SP ^{2.17}	O49 – C50 $\sigma_{1.98285}$	0.8338 SP ^{2.48} + 0.5520 SP ^{3.91}
C38 – H93 $\sigma_{1.97761}$	0.8042 SP ^{2.74} + 0.5943 S	C50 – H104 $\sigma_{1.99123}$	0.7841 SP ^{2.85} + 0.6207 S
C39 – C40 $\sigma_{1.97025}$	0.7084 SP ^{2.94} + 0.7058 SP ^{2.57}	C50 – H105 $\sigma_{1.99603}$	0.7838 SP ^{2.72} + 0.6210 S
C39 – C42 $\sigma_{1.96975}$	0.7193 SP ^{2.96} + 0.6947 SP ^{2.20}	C50 – H106 $\sigma_{1.99696}$	0.7840 SP ^{2.72} + 0.6208 S
C39 – C46 $\sigma_{1.96999}$	0.7219 SP ^{2.97} + 0.6920 SP ^{2.82}	O51 – H107 $\sigma_{1.98762}$	0.8671 SP ^{4.13} + 0.4981 S
C40 – N44 $\sigma_{1.97970}$	0.6349 SP ^{3.57} + 0.7726 SP ^{2.58}	O52 – C53 $\sigma_{1.99158}$	0.8370 SP ^{2.39} + 0.5472 SP ^{2.69}
C40 – H94 $\sigma_{1.98178}$	0.7844 SP ^{3.12} + 0.6203 S	C53 – O54 $\sigma_{1.99691}$	0.5800 SP ^{1.93} + 0.8146 SP ^{1.41}
C41 – C43 $\sigma_{1.98003}$	0.7106 SP ^{2.66} + 0.7036 SP ^{2.24}	C53 – O54 $\pi_{1.99310}$	0.5294 SP ^{99.99} + 0.8484 SP ^{99.99}
C41 – N44 $\sigma_{1.98515}$	0.6265 SP ^{3.32} + 0.7795 SP ^{2.46}	C53 – C55 $\sigma_{1.98516}$	0.7077 SP ^{1.57} + 0.7065 SP ^{3.01}
C41 – H95 $\sigma_{1.98365}$	0.7805 SP ^{3.04} + 0.6252 S	C55 – H108 $\sigma_{1.98898}$	0.7936 SP ^{2.97} + 0.6085 S
C41 – H96 $\sigma_{1.98160}$	0.7891 SP ^{3.02} + 0.6142 S	C55 – H109 $\sigma_{1.98033}$	0.7956 SP ^{3.00} + 0.6059 S
C42 – C43 $\sigma_{1.98194}$	0.7092 SP ^{1.52} + 0.7050 SP ^{1.53}	C55 – H110 $\sigma_{1.98239}$	0.7922 SP ^{3.02} + 0.6103 S
C42 – C43 $\pi_{1.97100}$	0.7088 SP + 0.7054 SP	C56 – C57 $\sigma_{1.98633}$	0.7095 SP ^{2.94} + 0.7047 SP ^{2.78}
C42 – H97 $\sigma_{1.97840}$	0.7894 SP ^{2.45} + 0.6139 S	C56 – H111 $\sigma_{1.98740}$	0.7882 SP ^{3.04} + 0.6154 S
C43 – H98 $\sigma_{1.97970}$	0.7861 SP ^{2.37} + 0.6182 S	C56 – H112 $\sigma_{1.98626}$	0.7887 SP ^{3.15} + 0.6148 S
N44 – C57 $\sigma_{1.98476}$	0.7793 SP ^{2.61} + 0.6266 SP ^{3.41}	C57 – H113 $\sigma_{1.99091}$	0.7793 SP ^{2.97} + 0.6266 S
C45 – C46 $\sigma_{1.99067}$	0.7033 SP ^{2.69} + 0.7109 SP ^{2.77}	C57 – H114 $\sigma_{1.98671}$	0.7886 SP ^{2.90} + 0.6149 S
C45 – H99 $\sigma_{1.99164}$	0.7812 SP ^{3.13} + 0.6243 S	O58 – C59 $\sigma_{1.99256}$	0.8320 SP ^{2.58} + 0.5548 SP ^{3.85}
C45 – H100 $\sigma_{1.98955}$	0.7868 SP ^{3.13} + 0.6173 S	C59 – H115 $\sigma_{1.99579}$	0.7844 SP ^{2.71} + 0.6202 S
C45 – H101 $\sigma_{1.99176}$	0.7864 SP ^{3.09} + 0.6177 S	C59 – H116 $\sigma_{1.98033}$	0.7864 SP ^{2.85} + 0.6059 S
C46 – H102 $\sigma_{1.98324}$	0.7886 SP ^{3.23} + 0.6150 S	C59 – H117 $\sigma_{1.98033}$	0.7797 SP ^{2.77} + 0.6261 S

Table 8. Second- order interaction energy (E^2 , Kcal/mol) between donor and acceptor orbitals in vinblastine^a.

<i>Donor</i> <i>NBO (i)</i>	<i>Acceptor</i> <i>NBO (j)</i>	$E_{\text{acceptor}(j)}-E_{\text{Donor}(i)}$ •Fack Matrix (F_{ij} , a.u.)	E^2 (Kcal/mol)	<i>Donor</i> <i>NBO (i)</i>	<i>Acceptor</i> <i>NBO (j)</i>	$E_{\text{acceptor}(j)}-E_{\text{Donor}(i)}$ •Fack Matrix (F_{ij} , a.u.)	E^2 (Kcal/mol)
1	2	2	4	5	6	7	8
C1 – C2σ	C1 – C5 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.79$ *0.085	5.10	C12 – C13 σ	C14 – C21 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.35$ *0.031	2.18
C1 – C2π	C3 – C4 π^*	$ \psi\rangle=\text{BD (2)-BD}^* (2)=0.50$ *0.126	38.91	C12 – C19 σ	N16 – C18 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.35$ *0.032	3.03
C1 – C5σ	C5 – C9 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.80$ *0.080	6.64	C12 – H67 σ	C10 – C11σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.20$ *0.080	6.63
C1 – H60σ	C2 – C3 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.59$ *0.052	4.99	C13 – C14 σ	C11 – C12 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.36$ *0.059	3.21
C2 – C3σ	C3 – C4 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.79$ *0.050	4.26	C13 – H68 σ	C12 – H67σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.27$ *0.030	2.79
C2 – H61σ	C1 – C5 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.59$ *0.052	5.11	C13 – H69 σ	C12 – C19σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.28$ *0.028	3.64
C3 – C4σ	C6 – N7 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.77$ *0.076	7.17	C14 – C15 σ	N16 – C18 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.36$ *0.032	3.51
C3 – C4π	C5 – C6 π^*	$ \psi\rangle=\text{BD (2)-BD}^* (2)=0.52$ *0.116	34.18	C14 – C21 σ	C12 – C13σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.39$ *0.051	2.34
C3 – H62σ	C4 – C6 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.59$ *0.074	5.10	C14 – O22 σ	C21 – H81σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.81$ *0.040	1.19
C4 – C6σ	C5 – C6 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.81$ *0.078	6.68	C15 – N16 σ	C19 – H77σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.48$ *0.037	1.95
C4 – H63σ	C5 – C6 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.54$ *0.078	4.94	C15 – H70 σ	N16 – C19σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.25$ *0.025	4.60
C5 – C6σ	C4 – C6 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.75$ *0.087	6.20	C15 – H71 σ	C14 – O22 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.26$ *0.046	2.29
C5 – C6π	C1 – C5 π^*	$ \psi\rangle=\text{BD (2)-BD}^* (2)=0.48$ *0.129	41.82	N16 – C18 σ	C14 – C15 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.49$ *0.044	1.87
	N7 – H64σ^*	$ \psi\rangle=\text{BD (2)-BD}^* (1)=1.04$ *0.031	0.98				
C5 – C9σ	C8 – C10 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.72$ *0.047	9.40	N16 – C19 σ	C15 – H70σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.60$ *0.036	1.83
C6 – N7σ	C8 – C10 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.86$ *0.070	3.45	C17 – C18 σ	C15 – N16σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.36$ *0.061	3.47
					C8 – C9π^*	$ \psi\rangle=\text{BD (1)-BD}^* (2)=0.98$ *0.059	3.69
N7 – C8σ	C4 – C6 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.82$ *0.048	5.65	C17 – H72 σ	C5 – C9 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.45$ *0.075	4.80
					C8 – C9π^*	$ \psi\rangle=\text{BD (1)-BD}^* (2)=0.89$ *0.021	0.56
N7 – H64σ	C8 – C9 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.79$ *0.056	2.16	C17 – H73 σ	C8 – C9 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.61$ *0.076	4.45
	C8 – C9 π^*	$ \psi\rangle=\text{BD (1)-BD}^* (2)=1.07$ *0.032	1.09		C8 – C9π^*	$ \psi\rangle=\text{BD (1)-BD}^* (2)=0.89$ *0.035	1.54
C8 – C9σ	C8 – C10 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.81$ *0.084	5.95	C18 – H74 σ	N16 – C19σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.27$ *0.071	4.99
C8 – C9π	C5 – C6 π^*	$ \psi\rangle=\text{BD (2)-BD}^* (2)=0.52$ *0.109	24.23	C18 – H75 σ	C9 – C17σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.35$ *0.060	3.32
	N7 – H64σ^*	$ \psi\rangle=\text{BD (2)-BD}^* (1)=1.09$ *0.030	0.96				
C8 – C10σ	C8 – C9 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.62$ *0.051	6.43	C19 – H76 σ	C11 – C12 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.26$ *0.049	2.36
C9 – C17σ	C8 – C9 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.64$ *0.048	6.50	C19 – H77 σ	C12 – C13 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.28$ *0.023	1.94
C10 – C11σ	C23 – O24 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.72$ *0.032	3.06	C20 – C21 σ	C13 – C14σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.37$ *0.050	2.32
	C8 – C9 π^*	$ \psi\rangle=\text{BD (1)-BD}^* (2)=1.00$ *0.044	2.02				
C10 – C23σ	O25 – C26 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.53$ *0.052	3.91	C20 – H78 σ	C14 – C21 σ^*	$ \psi\rangle=\text{BD (1)-BD}^* (1)=1.26$ *0.066	4.27
	C8 – C9 π^*	$ \psi\rangle=\text{BD (1)-BD}^* (2)=1.08$ *0.036	1.37				

Table 8 continued

1	2	2	4	5	6	7	8
C10 – H65^σ	C8 – C9^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.64$ *0.084	5.30	C20 – H79^σ	C21 – H81^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.28$ *0.024	3.46
	C23 – O24^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.84$ *0.073	7.66				
C11 – C12^σ	C10 – C11^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.31$ *0.034	1.01	C20 – H80^σ	C21 – H82^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.29$ *0.023	3.28
	C27 – C30^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.93$ *0.046	2.43				
C11 – C27^σ	C27 – C28^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.34$ *0.030	3.67	C21 – H81^σ	C14 – O22^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.17$ *0.075	6.03
C11 – H66^σ	C27 – C28^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.31$ *0.056	6.04	C21 – H82^σ	C14 – C15^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.25$ *0.064	4.10
O22 – H83^σ	C14 – C15^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.47$ *0.073	4.51	C36 – H90^σ	C32 – N33^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.32$ *0.067	4.16
C23 – O24^σ	C10 – C23^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.99$ *0.045	1.22	C36 – H91^σ	N33 – C34^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.23$ *0.064	4.17
C23 – O24^π	C10 – C11^{σ*}	$ \psi\rangle=BD(2)-BD^*(1)=1.10$ *0.035	1.35	C36 – H92^σ	N33	$ \psi\rangle=BD(1)-RY^*(1)=1.98$ *0.040	1.04
C23 – O25^σ	C8 – C10^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.79$ *0.045	1.39	C37 – C38^σ	C47 – O49^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.37$ *0.040	2.48
O25 – C26^σ	C10 – C23^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.63$ *0.064	3.09	C37 – C47^σ	O49 – C50^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.40$ *0.049	3.94
C26 – H84^σ	O25	$ \psi\rangle=BD(1)-RY^*(1)=2.22$ *0.045	0.51	C37 – O51^σ	N33 – C34^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.60$ *0.045	1.56
					C47 – O48^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=1.23$ *0.040	1.54
C26 – H86^σ	C23 – C25^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.23$ *0.062	3.81	C38 – C39^σ	C45 – C46^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.34$ *0.038	2.69
					C42 – C43^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=1.03$ *0.040	1.93
C27 – C28^σ	C28 – C29^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.56$ *0.066	5.89	C38 – O52^σ	C53 – C55^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.64$ *0.041	2.41
C27 – C30^σ	C30 – C31^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.80$ *0.093	5.97	C38 – H93^σ	C37 – O51^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.20$ *0.076	5.98
C27 – C30^π	C11 – C12^{σ*}	$ \psi\rangle=BD(2)-BD^*(1)=0.92$ *0.058	3.88	C39 – C40^σ	N44 – C57^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.36$ *0.047	2.37
	C28 – C29^{π*}	$ \psi\rangle=BD(2)-BD^*(2)=0.46$ *00134	47.35				
C28 – C29^σ	C27 – C28^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.57$ *0.069	6.60	C39 – C42^σ	C42 – C43^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.37$ *0.049	4.53
C28 – C29^π	C31 – C32^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=0.51$ *0.138	45.08	C39 – C46^σ	C37 – C38^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.32$ *0.051	2.52
					C42 – C43^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=1.01$ *0.050	3.15
C28 – O58^σ	C29 – C32^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.99$ *0.050	1.56	C40 – N44^σ	C31 – C35^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.54$ *0.064	3.35
C29 – C32^σ	C31 – C32^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.81$ *0.103	7.33	C40 – H94^σ	C34 – C35^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.24$ *0.069	4.76
C29 – H87^σ	C31 – C32^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.55$ *0.051	5.27	C41 – C43^σ	N44 – C57^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.48$ *0.027	3.48
C30 – C31^σ	C31 – C32^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.56$ *0.064	7.37	C41 – N44^σ	C43 – H98^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.47$ *0.047	2.01
C30 – H88^σ	C31 – C32^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.42$ *0.025	5.64	C41 – H95^σ	C42 – C43^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.93$ *0.060	4.85
					C42 – C43^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.69$ *0.028	0.59
C31 – C32^σ	C29 – C32^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.80$ *0.100	6.91	C41 – H96^σ	C40 – N44^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.25$ *0.067	4.51
					C42 – C43^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.93$ *0.043	2.52
C31 – C32^π	C27 – C30^{π*}	$ \psi\rangle=BD(2)-BD^*(2)=0.49$ *0.138	48.42	C42 – C43^σ	C39 – C42^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.64$ *0.076	4.40
	C35 – C56^{σ*}	$ \psi\rangle=BD(2)-BD^*(1)=0.89$ *0.065	5.00				

Table 8 continued

1	2	2	4	5	6	7	8
C31 – C35^σ	C30 – C31^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.66$ *0.056	5.49	C42 – C43^π	C41 – H95^{σ*}	$ \psi\rangle=BD(2)-BD^*(1)=0.95$ *0.050	4.04
C32 – N33^σ	C30 – C31^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.78$ *0.051	3.20	C42 – H97^σ	C41 – C43^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.27$ *0.059	7.79
N33 – C34^σ	C29 – C32^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.76$ *0.085	5.19	C43 – H98^σ	C39 – C42^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.33$ *0.095	8.49
N33 – C36^σ	C31 – C35^{σ*}	$ \psi\rangle=BD(1)-BD^*(2)=1.07$ *0.047	2.13	N44 – C57^σ	C39 – C40^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.47$ *0.061	3.15
C34 – C35^σ	C30 – C31^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.66$ *0.083	5.15	C45 – C46^σ	C38 – C39^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.33$ *0.048	2.18
C34 – C37^σ	C38 – O52^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.28$ *0.058	3.25	C45 – H99^σ	C46 – H103^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.38$ *0.026	2.93
	C47 – O48^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.96$ *0.043	2.31				
C34 – H89^σ	C37 – C38^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.25$ *0.058	3.34	C45 – H100^σ	C39 – C46^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.24$ *0.071	5.05
C35 – C40^σ	C31 – C32^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.96$ *0.035	1.31	C45 – H101^σ	C46 – H102^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.28$ *0.024	3.16
	C39 – C40^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.37$ *0.064	1.97				
C35 – C56^σ	C31 – C32^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.94$ *0.050	2.83	C46 – H102^σ	C39 – C42^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.30$ *0.062	3.71
	C39 – C40^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.35$ *0.066	4.03				
C46 – H103^σ	C39 – C40^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.25$ *0.065	4.21	C55 – H108^σ	O52 – C53^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.22$ *0.074	5.45
C47 – O48^σ	C37 – C47^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.98$ *0.044	1.17	C55 – H109^σ	C53 – O54^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.54$ *0.058	2.70
					C53 – O54^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.87$ *0.068	6.33
C47 – O48^π	C37 – O51^{σ*}	$ \psi\rangle=BD(2)-BD^*(1)=1.09$ *0.034	1.99	C55 – H110^σ	C53 – O54^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.54$ *0.060	2.89
					C53 – O54^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=0.87$ *0.065	5.78
C47 – O49^σ	C37 – C39^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.70$ *0.042	1.30	C56 – C57^σ	C41 – N44^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.43$ *0.052	3.09
O49 – C50^σ	C37 – C47^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.60$ *0.065	3.26	C56 – H111^σ	C35 – C40^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.27$ *0.047	2.20
C50 – H104^σ	C47 – C49^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.23$ *0.062	3.79	C56 – H112^σ	C34 – C35^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.24$ *0.058	3.37
C50 – H105^σ	O49	$ \psi\rangle=BD(1)-RY^*(2)=2.17$ *0.036	0.76	C57 – H113^σ	C59 – H111^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.25$ *0.029	1.20
C50 – H106^σ	O49	$ \psi\rangle=BD(1)-RY^*(2)=2.17$ *0.034	0.66	C57 – H114^σ	C40 – N44^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.25$ *0.057	3.26
O51 – H107^σ	C34 – C37^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.46$ *0.076	4.87	O58 – C59^σ	C27 – C28^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.88$ *0.069	3.13
					C28 – C29^{π*}	$ \psi\rangle=BD(1)-BD^*(2)=1.20$ *0.028	0.66
O52 – C53^σ	C55 – H108^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.84$ *0.040	1.07	C59 – H115^σ	C59 – H116^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.42$ *0.025	0.56
C53 – O54^σ	C53 – C55^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=2.01$ *0.041	1.05	C59 – H116^σ	C28 – O58^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.26$ *0.064	4.09
C53 – O54^π	C55 – H109^{σ*}	$ \psi\rangle=BD(2)-BD^*(1)=1.27$ *0.024	1.50	C59 – H117^σ	C28 – C58^{σ*}	$ \psi\rangle=BD(1)-BD(1)=1.27$ *0.025	0.62
C53 – C55^σ	C38 – O52^{σ*}	$ \psi\rangle=BD(1)-BD^*(1)=1.34$ *0.068	4.28				

^aBD and BD*refer to bonding and anti-bonding, respectively.

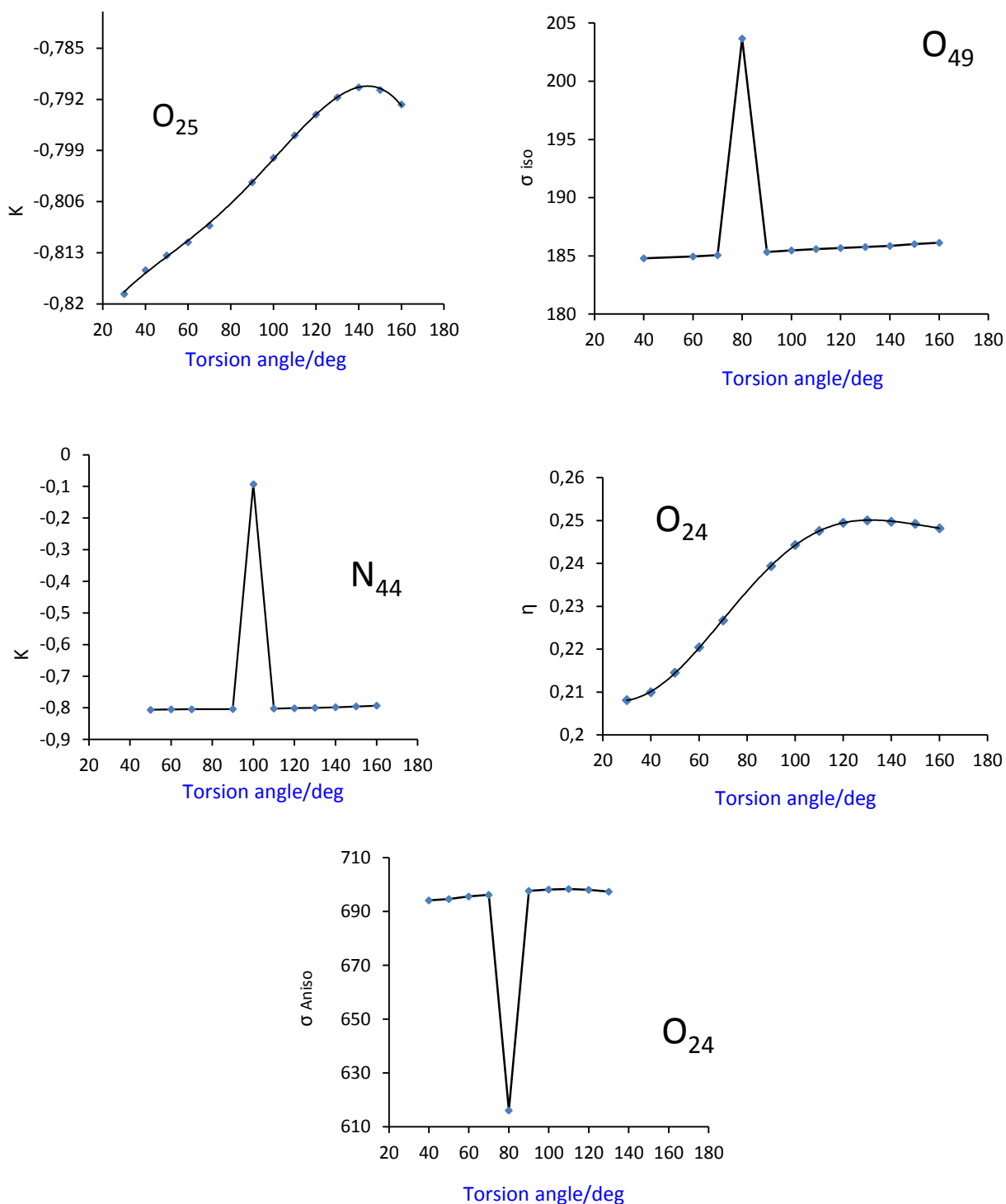


Fig. 3 Calculated parameters of NMR (K , η , σ_{iso} , σ_{Aniso}) versus the torsion angle around the C_{11} - C_{10} - C_{27} - C_{28} of the structure for some atoms of vinblastine.

CONCLUSION

In this work, we theoretically investigated the structure features of vinblastine as a biological active compound. Chemical shift anisotropy asymmetry (η), isotropy (σ_{iso}), anisotropy (σ_{aniso}), $\Delta\sigma$, K and chemical shift tensor (δ) were calculated based on theoretical data obtained from BL3Y/6-31G(d) and HF/6-31G(d) levels of theory. Moreover, NBO analyses were performed and then stabilization energies, electron occupation at each bond and hybridization character around each atom were evaluated. Furthermore, Freq computation was done for investigation of thermodynamic parameters such as enthalpy, entropy, Gibbs free energy and heat capacity. Mullikan atomic charges for all atoms of the title compounds were also calculated. The values of E_{HOMO} , E_{LUMO} and E_{bg} were evaluated too. Based on the calculated results on NMR chemical shifts, it seems that the HF level has more consistency with experimental data.

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NMR И НВО-ИЗСЛЕДВАНЕ НА ВИНБЛАСТИН КАТО БИОЛОГИЧЕН ИНХИБИТОР

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(Резюме)

Винбластинът е мощен биологичен инхибитор, който се прилага клинично срещу различни неоплазми. В тази работа е оптимизирана молекулната структура на винбластина с помощта на флуороводород и B_3LYP -ниво на теорията с 6-31 G(d) като основна мрежа. Представени са теоретични изчисления, които да изследват термодинамични параметри, Theoretical computations were performed to study thermodynamic parameters, ЯМР-химичното отместване и НВО-анализ (естествени орбитали на връзките). Заедно с това са изчислени някои електронни свойства, като E_{HOMO} , E_{LUMO} , E_{bg} (забранената зона между LUMO и HOMO) и атомните заряди. Освен това са оценени термодинамични параметри, като относителната енергия (ΔE), стандартната енталпия (ΔH), ентропията (ΔS), термодинамичният потенциал по Гибс (ΔG) и постоянният обемен моларен топлинен капацитет (C_v) за винбластина. В ЯМР-изследването са оценени магнитният екраниращ тензор (σ , ppm), екраниращата асиметрия (η), магнитнато-екраниращата анизотропия (σ_{aniso}) и отместването на тензор (K) на различни ъгли на ротация около характеристичната ос на ротация. Изчислени са химическите отмествания спрямо експериментални данни с $CDCl_3$ и DMSO. Пресметнатите данни показват в приемливо съгласие с експерименталните в някои случаи.